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The state of offshore soils as a viscoelastic medium is examined and the rheological model describing the nonlinear properties during the consolidation due to external loads is proposed. The equations of spherical and deviatoric stress and strain tensors for a rheological combined model are formulated and solved.

Keywords: offshore soils, stress and strain tensors, spherical and deviatoric tensors, consolidation, elastic, viscous medium, shear, creep, speed.

[1–11]

() 8,8 - 1,6 (),
 $s = 27,8 \cdot 3,4 / ^3;$ $= 18,7 / ^3;$ $W = 0,18;$
 ($t = 110^\circ$) $= d = 15,2 / ^3;$
 $e = \frac{\gamma_w}{\gamma} (1+W) - 1 = 0,754 ;$

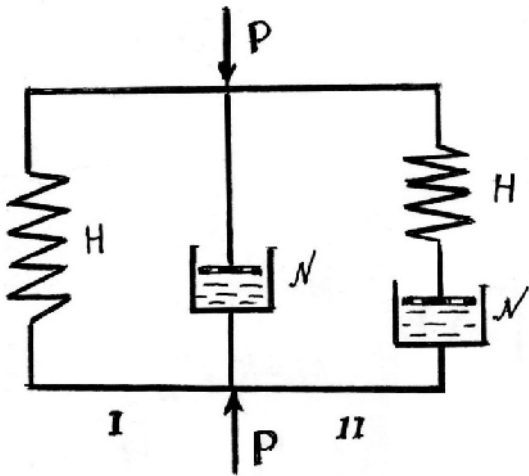
$$S_r = \frac{\gamma_s W}{\gamma_w e} = 0,664 < 0,8 \quad ; \quad W_L = 0,218; \quad -$$

$$W = 0,126; \quad I_p = W_L - W_p = 0,218 - 0,126 = 0,092;$$

$$0,07 < I_p = 0,092 < 0,17 \quad ;$$

$$I_l = \frac{W - W_p}{W_L - W_p} = 0,587; \quad 0,5 < I_l = 0,587 < 0,75 \quad -$$

I- , (. 1),
 I - ,
 G



. 1.
 : I - ; II -

)

$$\tau_{oct} = G\gamma_{oct} + v^d \gamma_{oct}; \quad G = \frac{\bar{G}\Psi}{\Psi + G\gamma_{oct}} (H + G_{oct}); \quad (1)$$

)

$$G_{oct} = K\varepsilon_v + v^o \varepsilon; \quad K = \frac{\alpha(\varepsilon_0 + \varepsilon_v)^\beta - \sigma_0}{\varepsilon_v}. \quad (2)$$

$v^d -$; $\Psi = \frac{\partial v^d}{1 + \frac{\partial v^d}{G \cdot \partial t}} -$; oct -
 ; $\dot{\epsilon} -$; -
 , σ_{oct} ; 0 - -
 , v^0 $v^d -$
 ; $H, G_{oct} -$
 $\bar{G} -$; - , ;
 ; - , ;
 ; $\tau_{oct} -$ ()
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 , I-
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$$\frac{\partial}{\partial z} \left[\frac{k (1+e)}{\gamma_w} \cdot \frac{\partial u}{\partial z} \right] = \frac{\partial e}{\partial t} \quad (3)$$

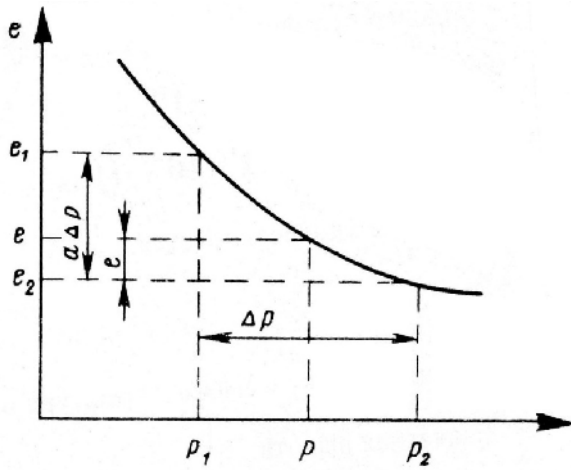
(3) $k (1+e)$,

. m_0
 , $k = \text{const}; (1+e) = \text{const}; m_0 = \text{const}$.
 (3) :

$$c_v \frac{\partial^2 u}{\partial z^2} = \frac{\partial e}{\partial t} \quad (4)$$

$$c_v = \frac{k (1+e)}{\gamma_w} = \text{const} -$$

(. 2)



. 2.

. 2. ,
$$\frac{e_1 - e_2}{\alpha} = \frac{e_1 - e}{\alpha} + \tau + u,$$

$$\frac{e - e_2}{\alpha} = \tau + u, \tag{5}$$

-

; u -

$$\tau = -\nu \left(\frac{\partial e^{1/n}}{\partial t} \right), \tag{6}$$

n -

, n > 1, nu

(6)

$$e - e_2 = \alpha \left[u - \nu \left(\frac{\partial e^{1/n}}{\partial t} \right) \right]. \tag{7}$$

nu = 0

n.

:

$$de = \alpha du. \tag{8}$$

(4) (7)

) $e' = e - e_2$ $\frac{\partial e'}{\partial t} = \frac{\partial e}{\partial t}$;

) $x = z/H,$ - ;

-) $u' = u/\Delta P = P_2 - P_1 -$ (. . 2);
-) $(e_1 - e)/(e_1 - e_2) = \psi -$;
-) $\lambda = 1 - \psi = \frac{e - e_1}{e_1 - e_2} = \frac{e'}{\alpha \Delta P} -$;
-) $T = (c_v/\alpha) \cdot (t/H^2) -$,

(4) :

$$\frac{\partial^2 u'}{\partial x^2} = \frac{\partial \lambda}{\partial T}, \tag{9}$$

(7) :

$$\lambda = u' - \frac{v}{\Delta P} \left(\frac{\partial e'}{\partial t} \right)^{1/n},$$

$$\frac{\partial \lambda}{\partial t} = -\frac{1}{\alpha v^n} \Delta P^{n-1} (\lambda - u')^n. \tag{10}$$

(10) :

$$\frac{c_v v^n}{H^2 (\Delta P)^{n-1}} = R \quad \frac{c_v}{\alpha} \cdot \frac{t}{H^2} = T,$$

$$\frac{\partial \lambda}{\partial T} = -\frac{1}{R} (\lambda - u')^n. \tag{11}$$

(9) (11)

$$\left(\frac{\partial^2 u'}{\partial x^2} \right)_{i,j} = \frac{u(i-1, j) + u'(i+1, j) - 2u'(i, j)}{\Delta x^2}; \tag{12}$$

$$\left(\frac{\partial \lambda}{\partial T} \right)_{i,j} = \frac{\lambda(i, j+1) - \lambda(i, j)}{\Delta T}. \tag{13}$$

(11), $u' = 0.$

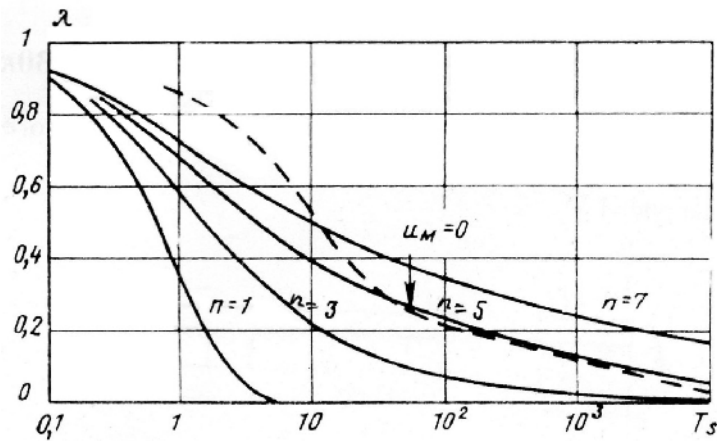
$$\lambda = \left[\left(\frac{n-1}{R} \right) T + 1 \right]^{\frac{1}{1-n}}. \tag{14}$$

:

$$\frac{T}{R} = \frac{\frac{c_v \cdot t}{\alpha H^2}}{\frac{c_v v^n}{H^2 (\Delta P)^{n-1}}} = \frac{t (\Delta P)^{n-1}}{\alpha v^n} = T_S \cdot \quad (15)$$

n

$\lambda(T_S)$
(.3).



. 3.

$$\lambda = \lambda(T_S)$$

n

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20...25

. 3

(9) (11)

. 4.

u'

$$T \quad z/H \quad n=5 \quad R=10^{-4}; n=10.$$

. 4,

u'

z/H

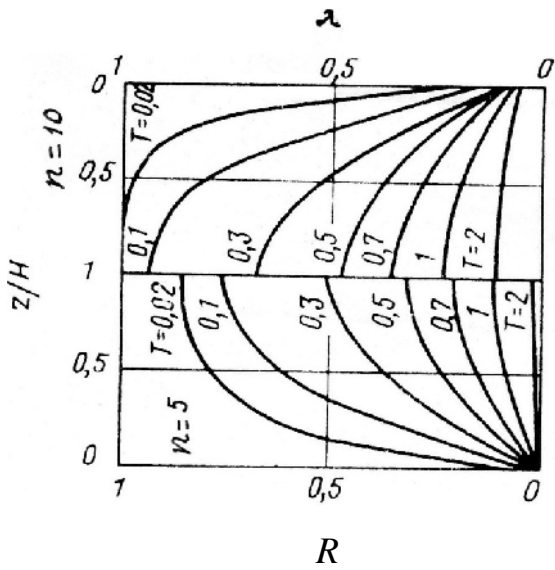
$u' \quad z/H$

R

. 5.

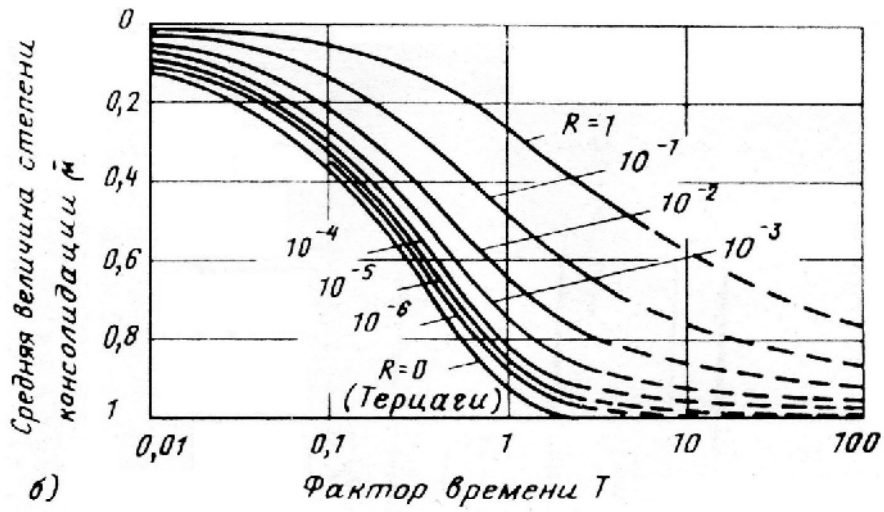
$R = 0$

T

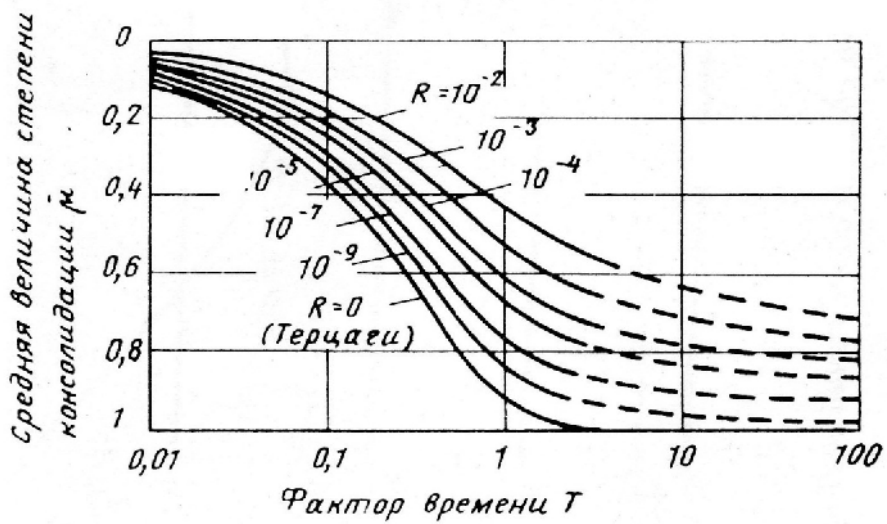


4. u'
 $n=5$ $n=10$

а)



б)



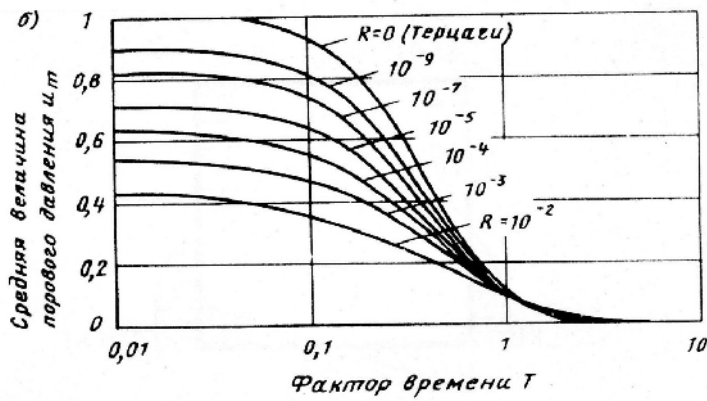
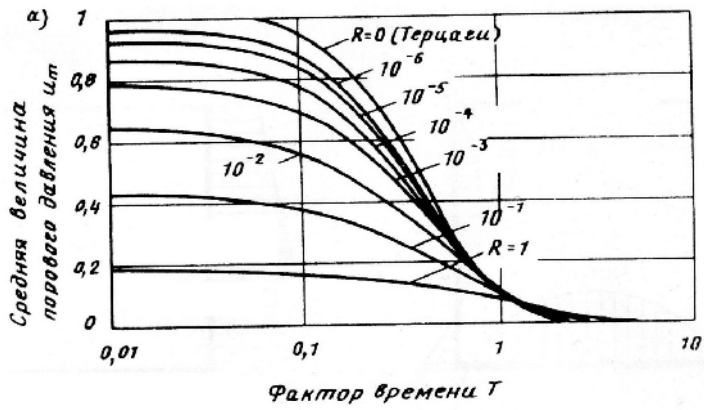
5.

R : $n=5$ (а), $n=10$ (б).
 $R=0$

T

R

. 6.



. 6.

R

: $-n = 5$; $-n = 10$.
 $R = 0$

1)
 2)

v ,

k ;

n ;

e ; 3)
 ΔP .

H

u' ()

R

20 .

$R = 0$

()

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1. // « ». « »: . – 2000. – . 2. – . 7–11.
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