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Electric load consumption model and model of electric load control system with consideration for selecting control actions at a given confidence level (technological constraints) is presented.

Key words: control, control actions, electric consumers, electric load, technological constraints, probability.

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 .
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[1]

$$P(t) = P_1(t) + P_2(t),$$

$P_1(t) -$
 , k - ;
 $P_2(t) -$ - .

,

$$P(t) = P_0(t) + \sum_{k=1}^K \sum_{i=1}^L \sum_{j=1}^M u_{kij}(t) P_{kij}, \quad (1)$$

$u_{kij}(t)$ – , i -
 k - t j -
 ; P_{kij} – .

$$= W_1 + W_2 + W_3 \rightarrow \min,$$

$1, 2, 3$ –
 ; W_1, W_2, W_3 –

$$= P + bW \rightarrow \min,$$

– ; P – ; b – ; W –

$$F = P_0(t) - \frac{1}{T} \int_t^{t+T} P(t) dt \rightarrow \min, \quad (2)$$

$P_0(t)$ –
 ; T –

30 .

$u_{kij}(t)$:

$$P(\min(P_0(t) - \frac{1}{T} \int_t^{t+T} P(t) dt)) \geq \sigma, \quad (3)$$

P –

; –

()

:

•

$$\sum_{j=1}^M u_{kij}(t) = 1; \tag{4}$$

$$\sum_{j=1}^M u_{kij}(t) \geq \sum_{kl_0j}^M u_{kl_0j}(t). \tag{5}$$

$j_0(kl);$

$$1 - u_{kl_0j}(kl) \geq x_{kij}(t_c), \tag{6}$$

$t_c -$; $x_{kij}(t) -$
 $1,$ $t-$ k_i ;
 ,

$$u_{kl_0j}(kl) \geq x_{ki_1}(t), \tag{7}$$

$x_{ki_1}(t) -$, $1,$ $t-$
 ,

$C_{k,i}(t),$

$$C_{k,i}(t) = C_{k,i} \quad C_{k,i} -$$

$$[t'_1, t'_2] \subset [t_0, t_k]$$

$$C_{k_0i_0}(t) = C_{k_0i_0} + C^0,$$

$C^0 -$

$$C_{k_0i_0}(t) = C_{k_0i_0} / D, \quad D \geq \max_{ki} C_{ki} -$$

$$\int_{t_0}^{t_k} (1 - u_{kij_0(k,i)}(t)) dt \geq x(k, l), \tag{8}$$

$t_0, t_k -$

; $(k, l) -$

$$F = \int_{t_0}^{t_k} \left[\sum_{k=1}^K \sum_{l=1}^{L_k} \frac{(1 - u_{kij_0(k,i)}(t)) C_{ki}(t)}{\sum_{j=1}^{q(k,i)} u_{kij}(t) P_{kij}} \right] dx \rightarrow \max \quad (9)$$

t_0, \dots, t_k ,

[1, 2].

P_i

$u_{kij}(t)$,

$[t_i, t_{i+1}]$,

1)

2)

3)

4)

- , () ;
- ,
- .

[3]

$$\min P_{kl} = \sum_{l=1}^k P_m(t).$$

, :

$$P_k(t) = P_k(t) + \sum (P_{ki}^{\min}(t) + P_{kl}(t)),$$

$P_{kl}(t) -$ $l-$ $k-$ $t;$
 $P_k(t) -$ $k-$.
 « » - ,

$$P_{kl}(t) = P_{kl}^{\min}(t) + P_{kl}(t), \quad l = \overline{1, n}$$

$P_{kl}^{\min}(t) -$, ,
 $k-$ $1-$, ; $P_{kl} -$ $1-$

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