

624.131.5

• • , • • , • • , • • (“ ”)

The changes in rigidity coefficients of bases under underground structures foot under dynamic loads from rolling stock are examined. Formulas of rigidity coefficients of bases that depend on underground structures set in time are obtained.

Key words: dynamic load, rigidity coefficient, setting, structure base, underground structure.

• (- . .) , () , (m_v); c , μ_0 , φ);

)
) (, q_i
);
) (,)
 ,

$k(t)$.

$$k(t) = \frac{P(t)}{S(t)}, \quad (1)$$

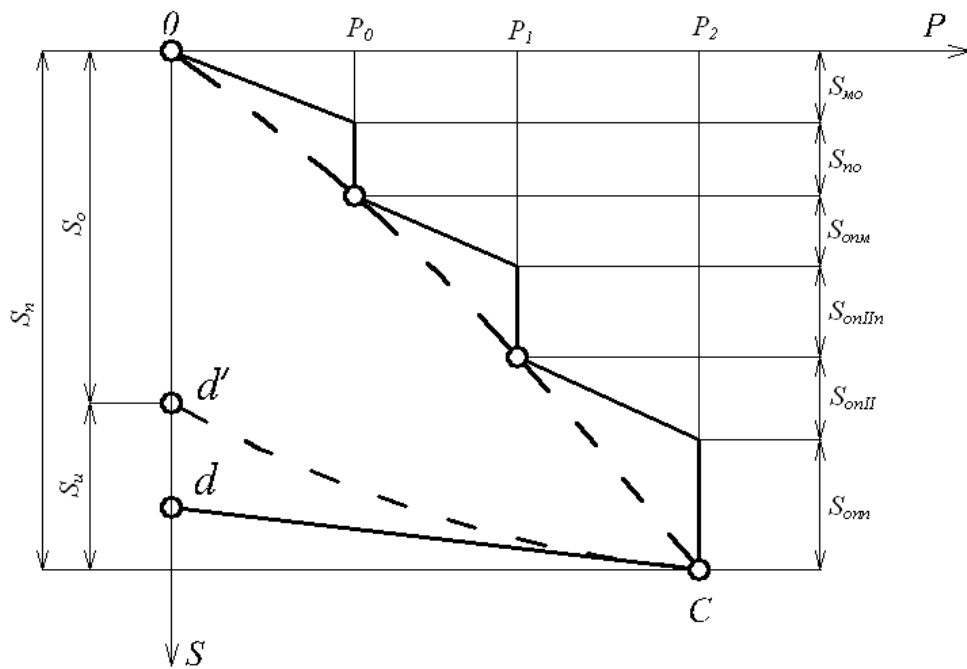
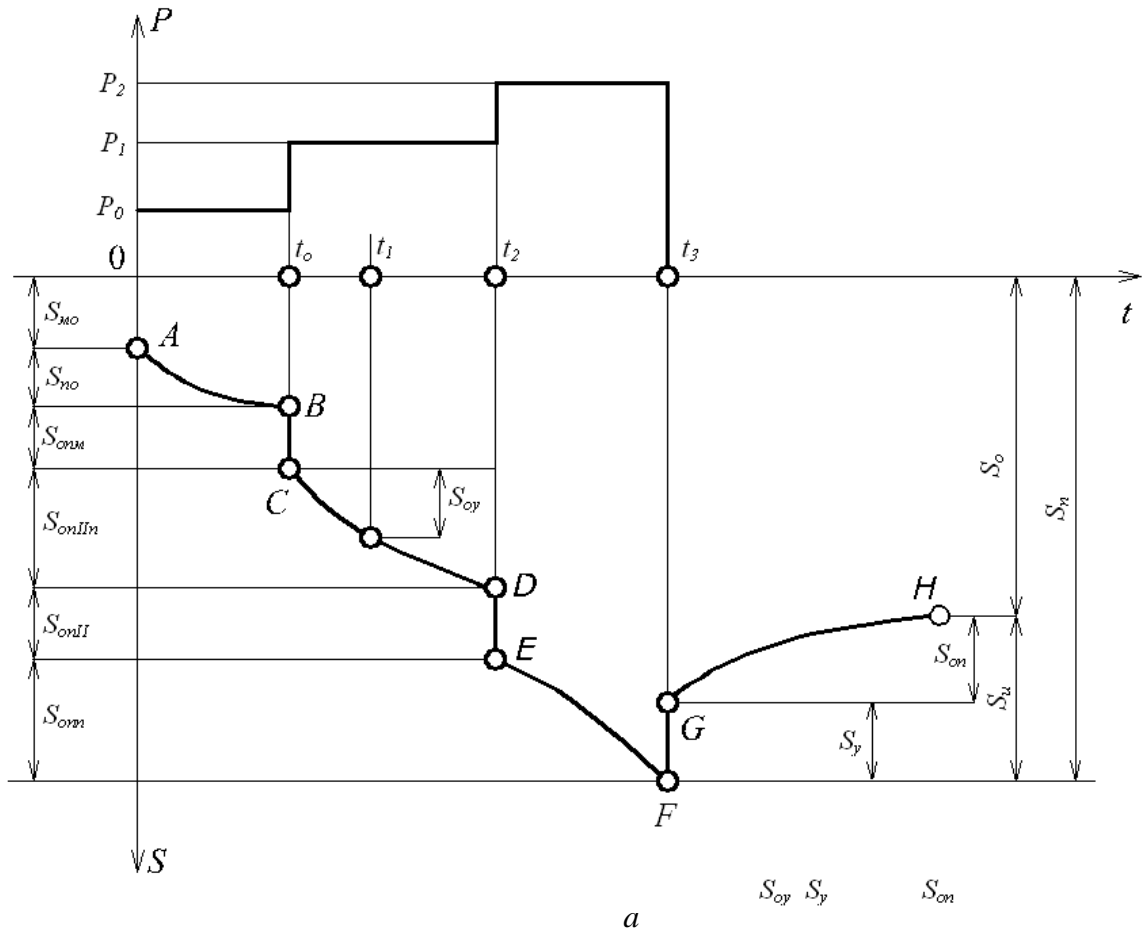
$P(t) - t$, ; $S(t) - t$.

$$k = \frac{E_0^{r, \mu_0}}{r(1 + \dots)}$$

, k .
 P_1 , $P(t)$, t_0, t_1, t_2, t_3 , P_0
 ($P_{\max} = P_2$, t_3)
 . 1.
 S () , S () - S
 () ; S , S
 (D); S (F). -
 GH). S (FG) , DE S (-
 , FG (. 1).

∴
) S , S ()
 $S(t)_t$.

- P-S (. 1, S -).



. 1. ; - : -

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 ,
 .
 () S_0 S
 ,

$$S = S_0 + S \quad (2)$$
 (. . 1,)
 , cd' - , cd -
 S

S_0 , $S(t)_t$

$$S(t)_t = S_0 \cdot f(t), \quad (3)$$
 $f(t) -$ ($t =$), 0 $f(t) 1$. ($t = 0$)
 $k(t)_t$ t

$$k(t)_t = \frac{P(t)}{S(t)_t}, \quad (4)$$

$S(t)_t -$ t ,
 () S : $t = 0,1$ $f(t) = 0,17$; $t = 1$ $f(t) = 0,47$; $t = 10$ $f(t)$
 $f(t) = 1,0$.

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3.

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2.

VI.-1975.- .125-130.

3.

.32-39.

4.

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